# BHARATHCOACHING CENTRE 

## SECTION - A

$5 \times 1=5$

1. The sum of the angles of the triangle is $\qquad$ .
2. If the transversal is drawn to the parallel lines then their $\qquad$ angles will be equal.
3. If the two lines intersect each other, then $\qquad$ angles will be equal.
4. If a side of a triangle is produced, the exterior angle so formed is equal to the sum of the two
$\qquad$ angles.
5. Co-interior angles are also known as $\qquad$ .

## SECTION - B

$$
5 \times 2=10
$$

6. In fig 6 lines PQ and RS intersect each other at point O . if $\angle P O R: \angle R O Q=5$ : 7, find all the angles.
7. In fig 7, lines AB and CD intersect at O . If $\angle A O C+\angle B O E=70^{\circ}$ and $\angle B O D=40^{\circ}$, find $\angle B O E$ and reflex $\angle C O E$.
8. In fig. 8, $\angle P Q R=\angle P R Q$, then prove that $\angle P Q S=\angle P R T$.
9. In fig 9 , find the values of $x$ and $y$ and then show that $A B \| C D$.
10. In fig 10 if $A B \| C D, E F \perp C D$ and $\angle G E D=126^{\circ}$, find $\angle A G E, \angle G E F, \angle F G E$.

## SECTION - C

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5 \times 3=15
$$

11. In fig 11 ray $O S$ stands on a line POQ. Ray $O R$ and ray $O T$ are angle bisectors of $\angle P O S$ and $\angle S O Q$, respectively. If $\angle P O S=x$, Find $\angle R O T$.
12. The sum of the angles of the triangle is $180^{\circ}$.
13. In fig 13 , if $A B \| C D, \angle A P Q=50^{\circ}$ and $\angle P R D=127^{\circ}$, find $x$ and $y$.
14. If a transversal intersects two lines, then each pair of alternate interior angles is equal.
15. It is given that $\angle X Y Z=64^{\circ}$ and $X Y$ is produced to the point P . draw the figure from the given information. If ray $Y Q$ bisects $\angle Z Y P$, find $\angle X Y Q$ and reflex $\angle Q Y P$.

## SECTION - D

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5 \times 4=20
$$

16. If a transversal intersects two lines such that the bisector of a pair of corresponding angles are parallel, then prove that the lines are parallel.
17. In Fig 17, $\mathrm{OP}, \mathrm{OQ}, \mathrm{QR} \& \mathrm{OS}$ are four rays. Prove that $\angle P O Q+\angle Q O R+\angle S O R+\angle P O S=360^{\circ}$.
18. In fig 18 the sides AB and AC of $\triangle A B C$ are produced to points E and D respectively. If bisectors BO and CO of $\angle C B E$ and $\angle B C D$ respectively meet at point O , then prove that $\angle B O C=90^{\circ}-\frac{1}{2} \angle B A C$.
19. In fig 19 , the side QR of $\triangle P Q R$ is produced to a point S . if the bisectors of $\angle P Q R$ and $\angle P R S$ meet at point T , then prove that $\angle Q T R=\frac{1}{2} \angle Q P R$.
20. In fig 20, if $P Q \| S T, \angle P Q R=110^{\circ}$ and $\angle R S T=130^{\circ}$, find $\angle Q R S$.

